Bibliography for

Topics and Problems in Deductive Geometry

August 1989

The following bibliography accompanied a set of lecture notes I wrote at Purdue University in the late 1980s. It is definitely not up to date, and in particular it says nothing about the massive amount of computer software that has been produced since that time or the many excellent sites that now exist on the World Wide Web. However, on numerous occasions it has been useful for me to consult this list of books and papers, so I am posting as it is with no attempt to bring it up to date.

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