

Two corrections to Section 1

PAGE 4 After the first sentence in the statement of Theorem 6, ^{insert} ~~add~~ the following sentence:

Assume that the image of the normal invariant map η is a subgroup of $[M, G/Top]$, where the group operation on the latter is given by taking direct sums.

PAGE 5 On the third line, following the statement of Theorem 6, replace "In other words," with the following:

BOLD Remark Note. We are assuming that the image of η is a subgroup with respect to direct sum ^{possible problems with} the ~~assumption~~ ^{assumption} in order to avoid ~~examples where~~ ^{the}

non additivity of the surgery obstruction map
 $\sigma: [M], \mathcal{G}/\text{Top}] \rightarrow L_m^h(\pi_2(M), w_2)$, where the
 operation on the domain is ~~again~~ given by taking
 direct sums. One easy way to ensure that the
 image of σ is a subgroup is to assume that
 $L_m^h(\pi_2(M), w_2) = 0$ so that σ must be onto.

This condition holds if $\pi_2(M^m)$ has odd order
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 and m is odd [], and therefore Theorem 6
 is valid for the examples of primary interest
 in this paper.

(NEW!)

Theorem 6 implies that the difference sets
 [continue with the 4th line on page 5]